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## Analysis of the Factors Affecting the Oil Recovery from Oilseeds in a Multistage Crosscurrent Leaching Process

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### ABSTRACT

The analysis of the total oil recovery from oilseeds in a multi-stage crosscurrent leaching process is presented. The model created using mass balance equations for three stages was used to analyze the factors affecting total oil recovery,  $T_o$ . The key performance factors (raw meal feed flow rate, solvent feed flow rate in each stage, solvent distribution factor for each stage, percent oil in the raw meal ( $P_{oil}$ ), solids to solution ratio in the underflow ( $N$ ), solvent to solids ratio ( $SSR$ ), solvent to oil ratio ( $SOR$ ) and wash ratio ( $WR$ ) were varied while assessing  $T_o$ . While  $SSR_i$  and  $SOR_i$  ranged from 0.1 to 10 and from 0.1 to 100, respectively,  $N$  varied between 1 and 7. The variation of  $T_o$  with the key variables were fitted using polynomial functions, whose degree increased with  $N$  at fixed values of solvent feed flow rate ( $V_s$ ) and raw meal flow rate ( $F$ ).  $T_o$  was the highest when  $\alpha_1$  and  $\alpha_2$  ranged from 0.05 to 0.3 and 0.05 to 0.2, respectively. The highest percent contribution to  $T_o$  was from Stage 1 (50 - 80%) followed by Stage 3 (10 to 40%). Optimal settings for the newly introduced parameters ( $SSR_i$ ,  $SOR_i$  and  $\alpha_1$ ) and solvent distribution factors are recommended for maximizing the total oil recovery.

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### INTRODUCTION

#### Leaching as a unit operation, multi-stage arrangements and solvent distribution

Unit operations are the basic processes involved in the raw material reparation, separation, and purification of products. These include distillation, leaching, absorption,

adsorption, evaporation, drying, crystallization, among others, which are implemented according to the nature of the materials involved. Leaching is used for separation, which depends on solubility difference between the inert carrier solid and the solute held by the solids. The aim of leaching is to remove the target component (solute) by dissolving it in a convenient

solvent. Thus, the desired component in a solid phase is separated by contacting the solute rich solid with the solvent. The desired component leaches from the solid into the solvent and the two phases are separated. The desired component is then recovered from the liquid phase by further processing. Leaching, also known as solid-liquid extraction is a mass transfer phenomenon. The separated solution is commonly named extract or overflow, and the inert solid with solution retained is named raffinate or overflow. Equipment is available in the market to conduct leaching under batch, semi continuous, or continuous operating conditions. However, a wider knowledge of the key factors affecting the efficiency of leaching process is lacking, especially for cross current operations.

This separation process can be done in a single or multiple stage connected in series using countercurrent or crosscurrent mode of operation. In this study, a multistage crosscurrent mode was simulated intensively, using mass balance equations. Fresh or spent solvent (containing a small amount of solute) can be added to each stage. This scheme is rarely used in a commercial process because of the large volume of solvent required and low concentration of solute in the extract. Also, lack of knowledge on solvent distribution between the stages hinders its industrial application. The solvent feed can be by equal amounts across the stages or specifically distributed across stages based on the pre-determined factors, as presented in this study.

### **Principles of leaching and its applications in the process industry**

One of the major applications of leaching is in the extraction of oil from oil seeds using a solvent. Various methods for recovering oil from the seeds have been investigated. Solvent extraction (or leaching) is the most widely used technique, due to high efficiency in oil recovery (90 to 98%). The major disadvantage of solvent extraction technique is its high

energy input during mixing and toxicity of solvent. The need for expensive equipment for separating the oil and the solvent is another added cost in large scale plants. This has led to the development of other methods such as enzyme-based techniques (Sharma *et. al.*, 2002).

Other uses of the leaching process include the metal industry for removing minerals from ores (acid solvents) and the sugar industry for removing sugar from beets (water as a solvent). The oilseeds industry uses leaching for removing oil from soybeans, ground nuts, sunflower, etc., (where n-hexane (Baskar *et. al.*, 2019; Manyele, 2008) petroleum ether (Manyele, 2008), hexane or similar organic solvents are used). Some common examples for leaching in food industry include extraction of soluble compounds from roasted and ground coffee in the soluble coffee production, and extraction of proteins from soybeans in the production of isolated soybean protein. A significant application of leaching processes is orientated to the environment, as is the removal of heavy metals (lead and cadmium) from contaminated soils using EDTA (Hao *et. al.*, 2017), the recovery of zinc from alkaline batteries waste using microwave or ultrasound assisted leaching (Sadeghi *et. al.*, 2017) and a process for recycling tin, bismuth and copper from E-wastes and wastewater using ammonia leaching and hydrochloric acid leaching (Jeon *et. al.*, 2017).

Leaching is usually operated at an elevated temperature to increase the solubility of the solute in the solvent which can add to energy costs. Furthermore, regardless of all other factors, a mixing temperature near 60-65°C shows the best yield values (Baskar *et. al.*, 2019; Al-Hamamre, 2014; Khasawneh, 2017; Sheet, 2018; Lubls, 2013). The diffusion coefficient of oil from the solid matrix into the solvent will be expected to increase with rise in temperature and this will also improve the rate of extraction. In some cases, the upper limit of temperature is determined by secondary

considerations, such as the necessity to avoid enzyme action during the extraction of sugar. The mass balance equations involve three component (solid, solvent and solute) systems. The feed is usually prepared by grinding or chopping and then mixed with a liquid solvent. The desired material dissolves (to some extent) and leaves the solid matrix when the liquid is drawn off as overflow. The solids containing some retained solution are then removed as underflow, leading to unrecovered oil and solvent losses. The mass balance equations must account for oil in all streams. In general, the amount of solution in the underflow depends on the properties of the solution, which are dependent on its composition. The amount of solute present causes "stickiness" of the solution. As a result, "draining data" is typically collected, to relate the solids-to-solution ratio to the composition of the solution. In the stages, comprising of the mixer and separator, the contact times can be made long enough for any desired approach to equilibrium. Since mixer-separator assemblies take much of floor space, they usually are employed in batteries of at most four or five units of a large variety of compact equipment, like tower arrangements. The relations between their dimensions, the operating conditions, and the equivalent number of stages forms the key design features.

### **Solvent-related factors affecting leaching operation performance**

The factors influencing extraction rate and total oil recovery include: entering feed flow rate and composition, choice of liquid solvent(s) (Baskar *et. al.*, 2019; Manyele, 2008) operating temperature and pressure, etc. The solvent feed flow rate, on the other hand, affects the total oil recovery by making solvent available for the solute to dissolve. The solvent must wet all the solids in Stage 1, Thus, the solvent flow rate is related to both solid matrix and the oil it contains. The solvent flow rate into each stage was further expressed in the form SSR and SOR. Thus, the optimal range of solvent

distribution between the three stages is critical as it determines the range of SSR and SOR. The nature of solvent (n-hexane, ethanol or petroleum ether) (Manyele, 2008; (Lubls, 2013; Abu-Arabi, 2000) and particle size also affect the total oil recovery (Baskar *et. al.*, 2019; Manyele, 2008a; Manyele, 2008b). The liquid chosen should be a good selective solvent and its viscosity should be sufficiently low for it to circulate freely (Khasawneh, 2017). Generally, a relatively pure solvent will be used initially, but as the extraction proceeds the concentration of solute will increase and the rate of extraction will progressively decrease, first because the concentration gradient will be reduced, and secondly because the solution will generally become more viscous. Other solvents used for oil extraction include benzene and carbon tetrachloride (Lubls, 2013) and isopropanol (Abu-Arabi *et. al.*, 2000). The performance of a number of solvents (diethyl ether, petroleum ether, hexane, acetone and ethanol) has also been evaluated (Abu-Arabi *et. al.*, 2000). Methyl ethyl ketone has also been used as a solvent, results of which were compared to other solvents (Abu-Arabi *et. al.*, 2000). Thus, the purity of the solvent used in the leaching process poses another challenge.

The SSR and SOR have a strong effect on total oil recovered. The nature of solvent, temperature, and SSR affects extracts from grape pomace (Pinelo *et. al.*, 2005). The SSR between 1 and 5 maximized the amount of phenolic extracts (Pinelo *et. al.*, 2005). The analysis of the effect of SSR on total oil recovered was aimed at preventing excessive solvent use. Similar study was carried out by varying the feed to-solvent ratio (Laitinen, 1999). Since leaching operation uses solvent to extract oil trapped in the inert solid matrix, the SSR and SOR need to be optimized (Osman *et. al.*, 2013).

Particle size influences the extraction rate in a number of ways. The smaller the size the greater is the interfacial area between the solid and liquid, and therefore the higher is the rate

of transfer of oil to the solvent and the smaller is the distance the solute must diffuse within the solid. On the other hand, with a very fine material the circulation of the liquid is impeded, separation of the particles from the liquid and drainage of the solid residue can be more difficult. The small particle size is preferred as it allows for a large interfacial area between the solid and liquid. Agitation of the solvent increases the eddy diffusion and therefore increases the transfer of materials from the surface of the particles into the bulk of solution (Kaskar *et. al.*, 2019).

If diffusion of the solute through the porous structure of the residual solids is the controlling factor, the material should be of small size so that the distance the solute has to travel is small. On the other hand, if diffusion of the solute from the surface of the particles to the bulk of the solution is the controlling factor, a high degree of agitation of the fluid is required.

Agitation of the solvent-raw meal mixture is important because this increases the eddy diffusion and therefore the transfer of material from the surface of the particles to the bulk of the solution. Intensive agitation of suspensions of fine particles prevents sedimentation and more effective use is made of the interfacial surface.

### **The focus and findings of former studies on leaching operations**

Table 1 summarizes the literature on leaching problems solved by other researchers, methodology used and the key results obtained. The summary further shows how the results were presented, and finally the contribution of those studies to the body of knowledge on design and operation leaching operations.

**Table 1: Methodology, key results and analysis from the past research on oil exaction from oilseed and fish meal.**

<b>Problem addressed</b>	<b>Extraction Methodology used</b>	<b>Key results</b>	<b>Presentation of results</b>	<b>Citation</b>
Extraction of Jojoba oil by leaching process	Multifunctional extraction	Effect of solvents (n-hexane, diethyl ether, and petroleum ether) in oil extraction	Compared solvents used in relation to oil yield, operating cost and energy consumption	(Khasawneh, 2017)
Leaching of oil from tuna fish liver by using methyl-ethyl ketone	Distillation method with different solvents (acetone, n-hexane, benzene, carbon tetra chloride)	Determined the maximum yield of fish liver oil at different temperatures	Maximum yield of fish liver oil obtained in relation to temperature and duration.	Lubls, 2013)
Effect of leaching temperature and time in terms of yielding of fish oil by the fraction of lipid	Leaching utilizing different solvents (hexane and isopropanol)	Effect of solvent type temperature and time; optimized the parameters based on oil yield	Multiple regression analysis and the second-order model fitted for each response. Time and temperature had a significant impact on oil yield.	(Abu-Arabi <i>et. al.</i> , 2000)
Evaluation of oil production from safflower seeds using different kinds of solvents	Applied classical solvent extraction, Soxhlet and ultrasonic extraction method with different solvents (diethyl ether, petroleum ether, hexane, acetone and ethanol)	Identify the best methods in terms of time and solvent consumption	The types of solvent and extraction methods were compared in terms of process viability and the compositions of final product	(Takadas, 2017)

Simulation on the extraction of sunflower oil using supercritical carbon dioxide	Used conventional vacuum distillation and solvent extraction methods at a commercial scale	Yield of sunflower oil produced using SC-CO <sub>2</sub> in relation to methods used	Differentiating the conventional vacuum distillation and solvent extraction methods against SC-CO <sub>2</sub> on extracting thermolabile molecule from oil bearing seeds	(Filho, 2012)
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In Table 1, the methods used for oil extraction include leaching (Abu-Arabi *et. al.*, 2000; Khasawneh, 2017; Lubls, 2013) hydraulic pressing, Soxhlet extraction (Takadas, 2017) and supercritical carbon dioxide (Nimet, *et. al.*, 2012). The key results from these studies include maximum yield of oil at different operating conditions and temperatures, effect of the type of solvents used (Abu-Arabi *et. al.*, 2000; Khasawneh, 2017) effect of mixing time and solvent consumption (Takadas, 2017).

The main objective of this study was to develop the crosscurrent computer model and simulate the effect operating parameters on the total oil recovery. To achieve the results, the following tasks were accomplished: development of a computer model and simulation of the leaching operation for a multi-stage cross-current system; establishment of the range of different solvent related ratios: S/F (solvent to feed ratio),  $N$  (solids to solution ratio), solvent-to-oil ratio ( $SOR_i$ ), solvent-to-solids ratio ( $SSR_i$ ) in the respective stages and for a wide range of leaching plant sizes and operating conditions; relating different solvent-related ratios with the total of oil extracted or plant efficiency; and, studying the variation of oil concentration in the overflow with solvent feed flow rate.

## METHODS AND MATERIALS

### Assumptions made to simplify the model

To enable modelling and simulation of a leaching system several assumptions were made to make the system ideal.

Setting the feed flow rates for raw meal,  $F$ , and solvent,  $V_{s1}$ , is a challenge that need to be addressed. This is because, the solvent fed must "wet" the solid (fill pores, etc.) and so will

typically pick up more liquid in the 1<sup>st</sup> Stage than in subsequent stages. Together with the variation of solvent flow rate with solute concentration in the first and subsequent stages, the contribution of oil recovered in the first stage to the total oil recovered was analyzed, as well as in other stages. The solvent fed was assumed to be sufficient to dissolve the solute out of the solids in the first stage, where fresh raw meal is fed, and that the successive stages has also a sufficient solvent flow rate to dilute the solution and deviate most of oil into the overflow streams.

Mixing of the solid and the solvent is critical. Typically, perfect mixing is assumed, as is the idea of an equilibrium stage, that is, the solid and liquid phases on each stage are assumed to be in equilibrium. These assumptions imply that all the liquid within the stage has the same composition and so the overflow and the liquid carried in the underflow are identical, that is  $Y_i = X_i$ . This is known as the *uniform solution* assumption which leads to a linear equilibrium curve.

It was further assumed that there is no adsorption of solute onto the solid particles, such that after coming in contact with solvent in the first stage, all of the solute is dissolved into the solvent, so that  $Y_i = X_i$ .

In an ideal equilibrium leaching stage, the overflow is assumed to be free of carrier solid, that is, none of the solid is dissolved. Hence, a constant flow rate of the solids through the stages,  $B_i = B_o$ , was assumed. To determine how much liquid leaves entrained with the solids in the underflow, the assumption was constant solution underflow, which implies that every stage has the same, fixed ratio of solution to solid in the underflow stream.



Therefore, the set values of the ratio of solids-to-solution,  $N$ , is constant and applies to all stages. Since the amount of inert solids is unchanged, this assumption leads to the fact that same amount of solution is held in the underflow from each stage.

### Model Development and Mathematical Formulations

#### Process flow sheet for crosscurrent leaching operation

The flow of the feed solution and solvent from stage to stage was selected to be crosscurrent. In multi-stage crosscurrent extraction the raffinate is successively contacted with fresh solvent as shown in Figure 1. In multistage crosscurrent leaching, the underflow stream from Stage 1,  $W_1$ , carries the solids and becomes the feed stream for Stage 2 and  $W_2$

stream from second stage become the feed stream for the third stage. In each stage, the mixture is contacted with a fresh stream of solvent. The overflow solution carrying the oil, exits from each stage, as the products of varying oil content. The solute concentration in the underflow is denoted as  $X$ , while that in overflow is denote as  $Y$ , both changing from one stage to another. The stages are numbered in the direction of solids flow.

For a single stage, using Soxhlet extractor connected with solvent and oil recovery, ratios like kg oil recovered per kg solvent used, percent of volatile material driven off from the raw meal and kg oil recovered per kg volatile matter driven off during extraction in a fixed contact time and particle size of soybean, groundnuts and sunflower seeds have been reported (Manyele, 2008a, 2008b).

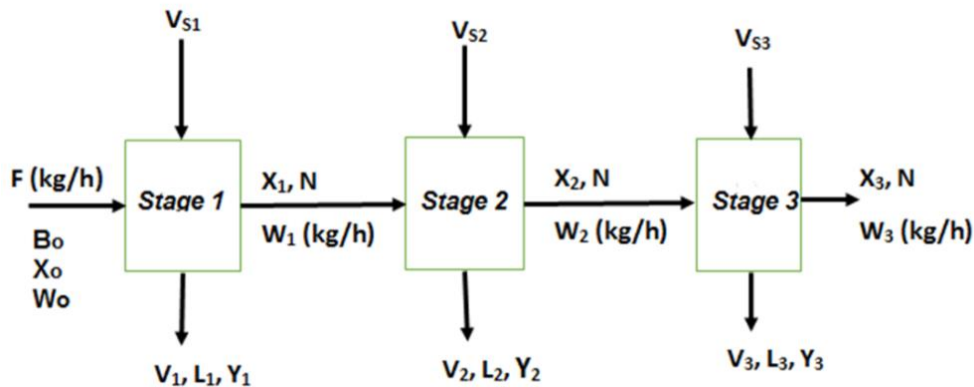


Figure 1: Simplified process flow diagram for crosscurrent leaching operation with three stages to enable mass balances.

#### Mathematical model formulation

The oil content in the raw meal,  $S_o$ , was given as per (1):

$$S_o = X_o W_o = P_{oil} F \quad (1)$$

where  $X_o$  is the oil concentration in the solution within the raw meal fed to the plant,  $W_o$  is the flow rate of the solution,  $P_{oil}$  is the percent of oil in the raw meal and  $F$  is raw meal flow rate or plant capacity. In case the raw meal feed is

free of the solvent, then  $X_o = 1.0$  and  $W_o = S_o$ . Defining  $B_o$  as the inert solids flow rate in the raw meal, then the feed point  $F_p$ , is given by Cartesian coordinates  $(X_o, N_o)$ , where

$$N_o = \frac{B_o}{W_o} \quad (2)$$

Similarly, for the solution and solids exiting the  $i^{th}$  stage and assuming that solids are inert and do not dissolve in the solvent,  $B_i = B_o$ , then the

oil concentration in overflow solution leaving the  $i^{th}$  stage, is given as:

$$Y_i = \frac{L_i}{V_i} \quad (3)$$

where  $L_i$  is the amount of oil extracted or quantity of oil in the overflow solution with flow rate given as  $V_i$ . In the underflow, the concentration of the solution leaving the  $i^{th}$  stage, is defined as:

$$X_i = \frac{S_i}{W_i} \quad (4)$$

where  $S_i$  is the amount of oil in underflow stream. Since the solution in the overflow has the same properties as that in the underflow, then  $X_i = Y_i$ , which leads to:

$$\frac{L_i}{V_i} = \frac{S_i}{W_i} \quad (5)$$

With the total solvent flow rate,  $Q_s$ , the distribution of solvent can take different forms such as: equal flows across the stages, leading to (6):

$$V_{si} = \frac{Q_s}{n} \quad (6)$$

where  $n$  = number of stages; or implementation of solvent distribution factors,  $\alpha_i$  ( $i = 1, 2, \dots, n$ ) as shown in Figure 2. In this study, the flow rate distribution was optimized for maximum total oil recovery by varying  $V_{si}$ , or  $\alpha_i$ , based on the relationships between the three factors:

$$\alpha_1 + \alpha_2 + \alpha_3 = 1 \quad (7)$$

and the determination of solvent feed rate across the stages using the set values of  $\alpha_i$ , as per (8):

$$V_{si} = \alpha_i Q_s \quad (8)$$

Based on solution and solute balances across an  $i^{th}$  stage,

$$W_{i-1} + V_{si} = V_i + W_i \quad (9)$$

and

$$Y_i V_i = X_{i-1} W_{i-1} - X_i W_i + V_{si} = V_i + W_i \quad (10)$$

Using (10) and also by  $N = B_o/W_i$ , and the equilibrium relationship,  $Y_i = X_i$ , the solute concentration in the overflow from a given stage is related to the incoming underflow solution concentration according to (11):

$$Y_i = X_{i-1} \left( \frac{W_{i-1}}{W_{i-1} + V_{si}} \right) \quad (11)$$

From (11), if  $N$  and  $B_o$  are constant throughout the stages, then:

$$Y_i = X_{i-1} \left[ \frac{\frac{B_o}{N}}{\frac{B_o}{N} + \alpha_i Q_s} \right] \quad (12)$$

and therefore,

$$Y_i = X_{i-1} \left[ \frac{B_o}{B_o + \alpha_i N Q_s} \right] \quad (13)$$

(13), also defined as operating line equation, relates the overflow solution concentration from the  $i^{th}$  stage with the solute concentration in the underflow solution from the previous stage based on mass balances. In (13), a shift is applied on the stage numbers such that  $Y_{i+1}$  is related to  $X_i$ .

While the oil extracted from the  $i^{th}$  stage is given by (14):

$$L_i = Y_i \times V_i \quad (14)$$

the unrecovered oil remaining in the underflow leaving the  $n^{th}$  stage is given as per (15):

$$R_n = X_n \cdot W_n \quad (15)$$

The unrecovered oil is normally left in the solution adhering to the treated solids, which can be traced in the underflow exiting the last stage (in this case 3<sup>rd</sup> stage) or  $n = 3$  into (15), leading to (16):

$$R_3 = X_3 W_3 \quad (16)$$

The percent unrecovered oil or oil lost  $P_{OL}$  is given based on the total oil fed in the plant with raw meal as per (17):

$$P_{OL} = 1 - E_R = \left( \frac{X_3 W_3}{P_{oil} F} \right) \quad (17)$$

where  $E_R$  is the percent oil extraction or recovery efficiency.

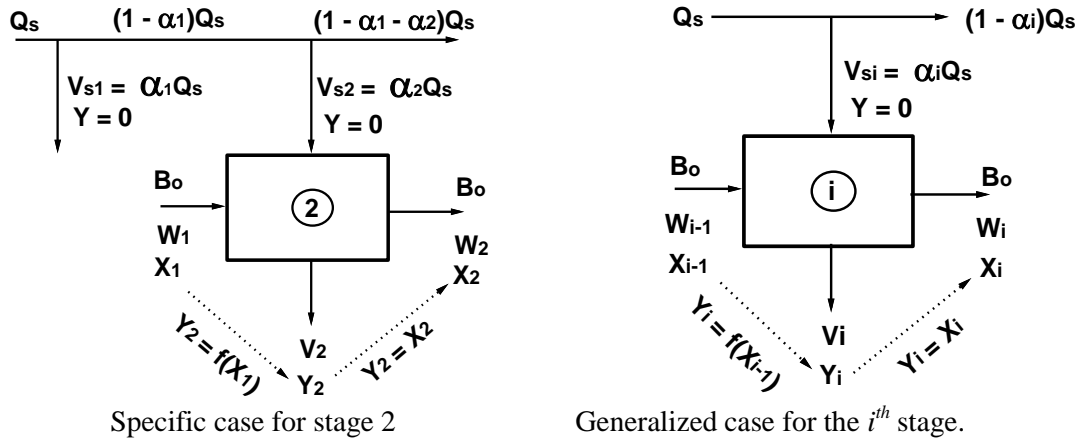


Figure 2: Relating solute concentration between the incoming underflow solution and the extracted solute in the overflow across the  $i^{\text{th}}$  stage for crosscurrent leaching.

If the overflow streams are combined, for  $n = 3$ , then the total oil recovered, from all stages,  $T_o$ , is given by (18):

$$T_o = \sum_{i=1}^n Y_i V_i = \sum_{i=1}^n L_i \quad (18)$$

and the overall solution concentration is thus given as per (19):

$$Y_{ov} = \frac{\sum_{i=1}^n Y_i V_i}{\sum_{i=1}^n V_i} = \frac{\sum_{i=1}^n L_i}{\sum_{i=1}^n V_i} \quad (19)$$

The oil extraction efficiency was estimated based on the percent oil content in the raw meal, that is:

$$\eta_{po} = \frac{T_o}{P_{oil} X F} X 100\% \quad (20)$$

or, based on total feed flow rate, as per (21):

$$\eta_{RM} = \frac{T_o}{F} X 100\% \quad (21)$$

The percent contribution of the  $i^{\text{th}}$  stage to the total oil recovered is given as per (22):

$$P_{cont} = 100 X \left( \frac{L_i}{T_o} \right) \quad (22)$$

Solvent to feed ratio is a key factor determining the performance of the multistage leaching process. For the 1<sup>st</sup> stage the solvent to feed ratio,  $S_F$  is given by:

$$S_F = \frac{V_{s1}}{F} \quad (23)$$

For the  $i^{\text{th}}$  stage, the solvent-to-inert solids ratio,  $S_B$ , was defined as per (24):

$$S_B = \frac{V_{s1}}{B_o} \quad (24)$$

In a given stage, the underflow containing solute (oil), solvent and inert solids from the previous stage are mixed with fresh solvent,  $V_{si}$ . Based on this mixture, the solvent fed-to-solute present ratio,  $S_{SL}$ , was defined as per (25):

$$S_{SL} = \frac{V_{s1}}{X_{i-1} W_{i-1}} \quad (25)$$

Another key parameter denoting the separation between overflow and underflow in a given stage is the wash ratio,  $WR_i$ . The wash ratio values for the  $i^{\text{th}}$  stage were determined according to (26):

$$WR_i = \frac{V_i}{W_i} \quad (26)$$

After mixing the solvent with the underflow, before separation takes place, the total solvent present-to-solids ratio,  $SSR_i$ , in the  $i^{\text{th}}$  stage was defined as:

$$SSR_i = \frac{(1 - X_{i-1}) \cdot W_{i-1}}{B_o} \quad (27)$$

The total solvent present-to-oil ratio in the  $i^{\text{th}}$  stage,  $SOR_i$  was defined in (28):



$$SOR_i = \frac{(1 - X_{i-1}) \cdot W_{i-1} + V_{si}}{X_{i-1} \cdot W_{i-1}} \quad (28)$$

Thus, the total solvent in the underflow exiting the  $i^{th}$  stage was determined as per (29):

$$S_u = (I - X_i) \cdot W_i \quad (29)$$

The following equations were developed based on mass balances across an  $i^{th}$  stage. The solution balance across the  $i^{th}$  stage gives (30):

$$W_{i-1} + V_{si} = W_i + V_i \quad (30)$$

while the solute balance across the  $i^{th}$  stage gives (31):

$$W_{i-1}X_{i-1} + V_{si}Y_{VS} = X_iW_i + Y_iV_i \quad (31)$$

where  $Y_{VS}$  is the solute concentration in the incoming solvent stream. If the solvent is free of solute, then  $Y_{VS} = 0$ , and

$$W_{i-1}X_{i-1} = Y_iV_i + X_iW_i \quad (32)$$

For the given stage,  $i$ ,  $X_i = Y_i$ , and therefore, (32) leads to:

$$X_i = Y_i = \frac{W_{i-1}X_{i-1}}{W_i + V_i} \quad (33)$$

### Flow Chart for the Simulation Model

Figure 3 shows the flow chart of the multistage crosscurrent leaching model used to simulate the effect of various operating parameters on the total oil recovery. As stated before, three stages were modeled incorporating several input variables starting from the feed characteristics ( $F, P_{oil}, B_o, X_o$  and  $W_o$ ) followed by solvent feed rate variables ( $Q_s, V_{si}, \alpha_i$ ), and the constant underflow (kg solids per kg solution,  $N$ ). The mass balance equations were generated to determine the overflow characteristics ( $V_i, X_i$ ) and the underflow characteristics ( $W_i, X_i$ ).

A condition was imposed to assess if the total oil was the maximum. When the total oil was not the maximum new solvent distribution factors  $\alpha_i$  were selected until the condition was satisfied. At different stages of the model, the

new variables describing the operating conditions of the leaching process were determined and tabulated, such as  $WR_i, SSR_i$  and  $SOR_i$ , as defined earlier.

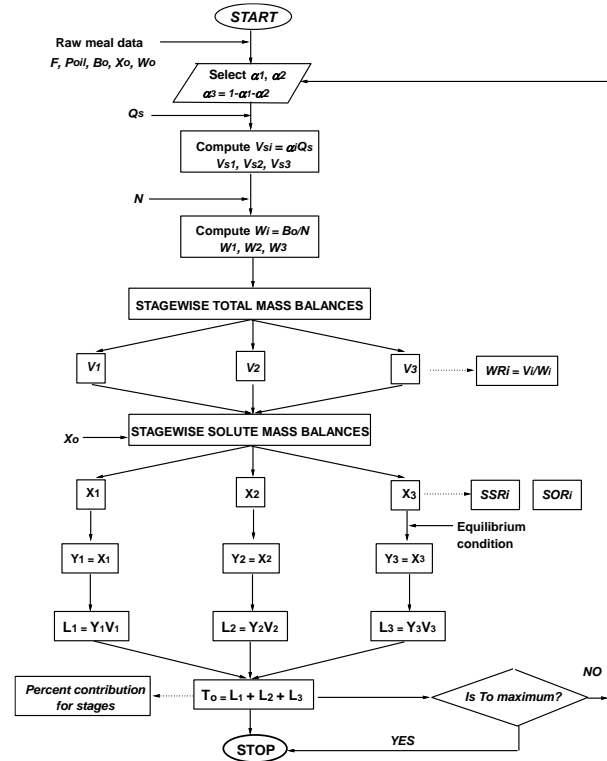


Figure 3: Flow chart for the crosscurrent leaching model implemented in this study.

## RESULTS AND DISCUSSION

### Variation of Oil Concentration in the Overflow with Solvent Flow Rate

The solute concentration in the overflow from a given stage is an important factor determining the efficiency of the leaching process. It leads to the total oil recovery when the three concentration values are used to determine the oil received in each stage stated in (3), (4) and (5). Figure 4 shows the effect of increasing solvent flow rate into respective stages on concentration of the overflow solution,  $Y_i$ . It was observed that  $Y_i$  decreases with  $V_s$  according to 4<sup>th</sup>, 5<sup>th</sup> and 6<sup>th</sup> order polynomial functions for 1<sup>st</sup>, 2<sup>nd</sup> and 3<sup>rd</sup> stages. The good fit

at increasing order of polynomial function from Stage 1 to 3, indicates that  $Y$ - $V_s$  relationship increases in complexity at Stages 2 and 3. This can be attributed to the fact that in Stage 1, fewer variables affect  $Y_1$  compared to  $Y_2$  and  $Y_3$ . For all solvent flow rates,  $Y_1$  was the highest,

while  $Y_2$  and  $Y_3$  were closer especially at higher solvent flow rates. The closer and constant values of  $Y_2$  and  $Y_3$  at higher  $V_s$  values indicate that increasing  $V_s$  has no effect on the solute concentration in the last two stages.

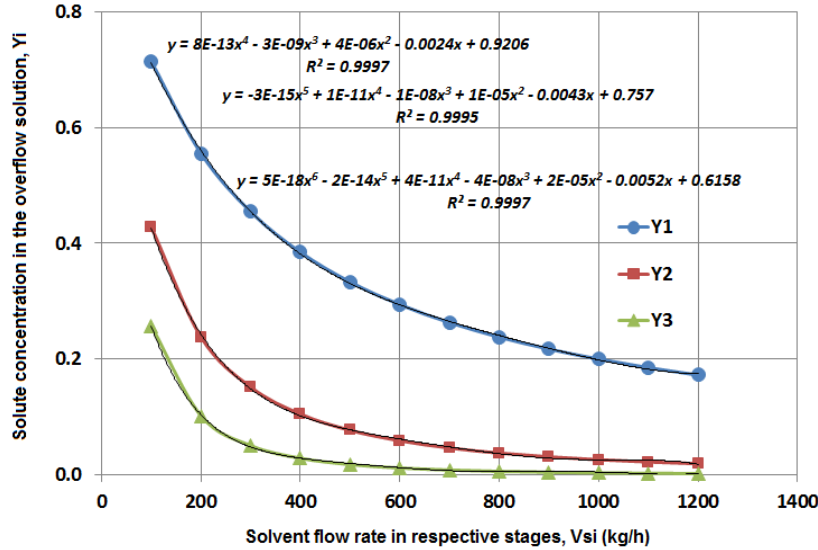


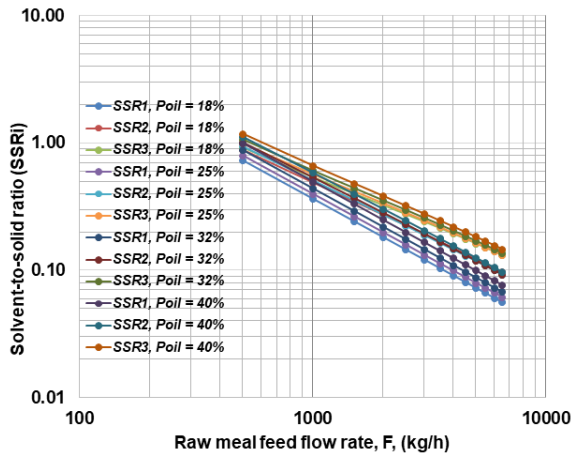
Figure 4: Variation of solute concentration in the overflow solution from respective stages,  $Y_i$ , with the equal solvent flow rates,  $V_{si}$  ( $N = 5$ ,  $F = 1000$  kg/h).

### Variation of SSR and SOR with Raw Meal Feed Rate

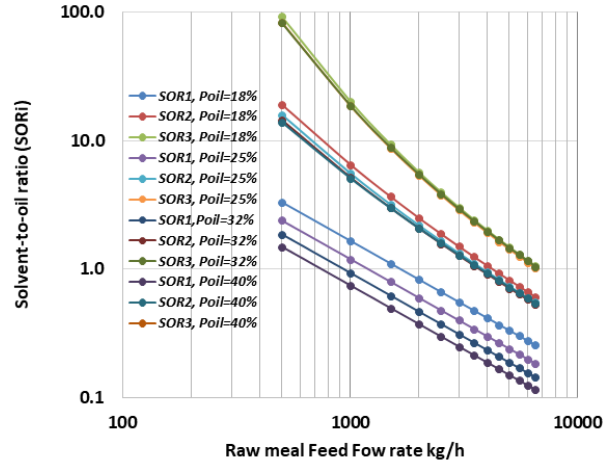
The operating range for feed and solvent flow rates was assessed by observing  $SSR_i$  in each stage. When the plant capacity increases, the quantity of inert solids also increases in the system for a given oil content in the oil seed,  $P_{oil}$ . Figure 5 presents the range of values of the solvent-to-solid ratio by  $SSR_i$ , considering the variation of percentage in the raw meal oil interring the leaching plant with different raw meal feed flow rate kg/h. Figure 5 is presented on a logarithmic scale for both  $SSR_i$  and  $F$ , for  $P_{oil}$  ranging from 18 to 40%. The  $SSR_i$  decreases with increasing  $F$ , indicating that more solid enters the stages, lowering the  $SSR_i$ , since the solvent flow rate was kept constant at 300 kg/h across each stage ( $Q_s = 900$  kg/h) and  $\alpha_i = 1/3$ ). Results show that  $P_{oil}$  has least effect on the  $SSR_i$ . Moreover,  $SSR_3$  values were the

highest compared to Stages 1 and 2. The higher values of  $SSR_3$  then  $SSR_1$  and  $SSR_2$  can be attributed to the fact that in the last stage, most of the solute has been extracted into streams  $V_1$  and  $V_2$ , leaving the solution  $W_3$  with very low concentration of oil (that is very dilute), leaching to high solvent concentration in the stream  $W_2$ , and hence, additional solvent,  $V_{s3}$ , adds up towards larger amount of solvent present in the Stage 3 mixer and settler, and hence higher  $SSR_3$ . This is based on the fact  $B_o$  is constant and the ratio  $SSR$  depends solely on the solvent present. The lowest  $SSR$  values were observed at  $P_{oil} = 18\%$  in Stage 1. Also at various values of  $P_{oil}$ , the lowest  $SSR$  values were observed in Stage 1. This can attribute to the fact that compared to other stages, stage 1, handles most of the oil, before part of it is extracted via  $V_1$ . Therefore, the solvent fed to Stage 1, forms a thick solution (highest oil concentration) with least amount of solvent in

Stage 1, hence low values of  $SSR_1$ . At a given  $F$  and  $V_s$ , increasing  $P_{oil}$  should increase  $SSR_i$ , since  $B_o$  is taken up by oil, increasing  $SSR_i$ . During extraction, a focus is on how much solvent is applied for the given amount of oil in the respective stages. This was expressed using the SOR values. Figure 6 presents the values of  $SOR_i$  in the three stages of a leaching plant as a function of raw meal flow rate, at constant values of  $P_{oil}$ . Results show that increasing raw meal flow rate lowers  $SOR$  values in all stages. Given the total solvent present in the stage, a large raw meal flow rate implies that more oil is present in the stages and hence lower  $SOR_i$ . Highest values of  $SOR$  were observed in Stage 3, for all set values of  $P_{oil}$ . This can be attributed to the fact that in Stage 3, there is lowest amount of oil left that is very dilute solution attributable to decreased amount of solute, after being extracted in Stages 1 and 2 and hence highest  $SOR$  values.



**Figure 5: Variation of of solvent to solid ratio with raw meal feed flow rate for different oil content in oilseeds.**



**Figure 6: Variation of solvent-to-oil ratio in different stages (SSR) with raw meal feed flow rate for different oil-content in the raw meal at  $V_{si} = 300$  kg/h.**

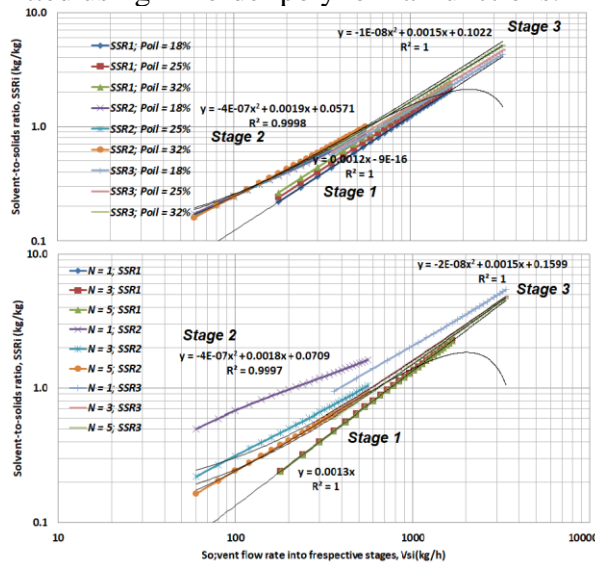
In Stage 1 on the other hand, the mixer receives the largest amount of oil, and hence, with fixed solvent flow rate,  $SOR_i$  values were the lowest, corresponding to highest values of  $Y_1$  and  $X_1$ . In each stage, there is higher solvent to oil ratio at lower percent oil in the raw meal ( $P_{oil} = 18\%$ ) than at higher percent oil ( $P_{oil} = 40\%$ ), attributable to presence of smaller amount of the oil in the system at lower  $P_{oil}$ , leading to a higher  $SOR$ .

**Effect of Solvent Feed Rate on Solvent-to-Solids Ratio (SSR) and Solvent-to-Oil Ratio SOR in each stage**

To express the wetting of solids during mixing with solvent,  $SSR$  values were determined for each stage and for different plant capacities. Figure 7 presents the variation of  $SSR_i$  with solvent flow rate into respective stages. For all the three stages, increasing  $V_{si}$  increases the  $SSR_3$  at constant  $P_{oil}$  or  $N$ . It was observed that varying  $P_{oil}$  did not show appreciable effect on  $SSR_i$ , and that the latter varied strongly with stages. The variation of  $SSR_i$  with  $V_{si}$  changed from Stage 1 (where a linear relationship was observed) to Stage 2 where the curves were fitted with quadratic functions. This was attributed to the additional variables in the

process, that is,  $W_1$  and  $X_1$ . In Stage 3, on the other hand, the relationship between  $SSR_3$  and  $V_{s3}$  were fitted using a 3<sup>rd</sup> order polynomial function, indicating the most complex relationship. This was again attributable to increased number of variables, that is, additional  $X_2$ ,  $W_2$ ,  $Y_3$  and  $N$ .

The effect of increasing  $N$  was observed for  $SSR_2$  and  $SSR_3$ . For  $SSR_1$  (in Stage 1),  $N$  did not have any effect, basically because mixing of the solvent and inert solids does not involve the effect of underflow characteristics, until the 2<sup>nd</sup> and 3<sup>rd</sup> stages. It was further observed that  $N$  had a strong effect on Stage 2, where the curves were far apart compared to Stage 3. Varying  $N$  did not change the nature of variation between  $SSR_i$  with  $V_{si}$ , respectively, both of which were fitted using 2<sup>nd</sup> order polynomial functions.



**Figure 7: Effect of increasing solvent flow rate in respective stages on  $SSR_i$  at  $F = 1000$  kg/h, and  $P_{oil} = 25\%$ ).**

In both cases of varying  $P_{oil}$  and  $N$ , highest value of  $SSR$  were observed in Stage 3, indicating that more solvent was fed into Stage 3 compared with the previous stages, since  $B_o$  was constant. This was observed also based on results presented in Figure 4, where  $Y_3$  were the lowest, due to both large quantity of solvent and also due to most of the oil having been

extracted in Stages 1 and 2. Assuming that there is no trace of solvent in the raw meal and that  $B_o$  is constant throughout the leaching stages, then (34) shows the number of factors affecting the  $SSR$  values in each stage. The three equations show a strong correlation between the number of parameters affecting the  $SSR_i$  and the order of polynomial functions used to fit the respective data.

$$\begin{aligned} SSR_1 &= f(V_{s1}) \\ SSR_2 &= f(V_{s2}, W_1(1 - X_1)) \\ SSR_3 &= f(V_{s3}, W_2(1 - X_2)) \end{aligned} \quad (34)$$

The  $SOR$  signifies whether we have enough solvent to dissolve the oil and carry it out of the system into the overflow. Optimal values of  $SOR$  exist for maximum oil recovery as shown later. Figure 8 shows the variation of  $SOR_i$  with solvent feed flow rate into respective leaching stages,  $V_{si}$ , at constant  $P_{oil}$  and also at constant  $N$ . Increasing  $V_{si}$  increases the solvent-to-oil ratio, values of which are lower in the 1<sup>st</sup> stage than in the 2<sup>nd</sup> stage. The values of  $SOR_i$  varied depending on the solvent flow rate across respective stages. In Stage 1,  $V_{s1}$  ranged from 200 to 2000 kg/h, and from 50 to 600 kg/h in Stage 2. The largest flow was into the 3<sup>rd</sup> stage, which ranged between 300 and 3500 kg/h. The difference in the solvent flow rate range across the three stages was set to maximize the total oil recovered using the distribution factors. The effect of  $P_{oil}$  was negligible and solvent-to-oil ratio strongly depended on stage number.

Therefore,  $SoR_1$  increases with  $V_{s1}$  according to polynomial functions of 1<sup>st</sup>, 2<sup>nd</sup> and 3<sup>rd</sup> order for Stages 1, 2, and 3, respectively, with least influence of  $P_{oil}$ . The linear relationship in Stage 1 indicates a simple mixing problem that determines  $SOR_1$ , while in the 2<sup>nd</sup> and 3<sup>rd</sup> stages, other factors come into play, making the relationship more complex. These additional factors include  $N$ ,  $V_1$  and  $Y_1$  for Stage 2, and  $N$ ,  $V_2$ , and  $Y_2$  for the Stage 3. Detailed analysis of the variables affecting  $SOR_i$  is presented in (35):

$$\begin{aligned} SOR_1 &= f(V_{s1}) \\ SOR_2 &= f(V_{s2}, X_1) \end{aligned} \quad (35)$$



$$SOR_3 = f(V_{s3}, X_2)$$

Equation (36) shows that the number of key variables is equal to the order of polynomial fits. Higher values of  $N$ , however, led to higher  $SOR_2$  and  $SOR_3$ . The effect of  $N$  was more pronounced in the 3<sup>rd</sup> stage, where the curves of constant  $N$  were far apart compared to those in the 2<sup>nd</sup> stage. The nature of variation of  $SOR_i$  with  $V_{s2}$  and  $V_{s3}$  depends strongly on stage numbers. Increasing  $N$  does not affect  $SOR_1$  and comes into play during separation after mixing of the two streams in accomplished. Thus,  $N$  will affect Stages 2 and 3, since the streams mixed in those two stages results from the separation according to selected values of  $N$  in Stages 1 and 2.

### Effect of $N$ on Total Oil Recovery

The settings for solids to solution ratio in the underflow are critical towards the total oil recovery. The effect of increasing  $N$  or effectiveness of decantation process on  $T_o$  was studied at a fixed plant size and solvent flow rates into stages. Figure 9 presents the variation of total oil recovered from a three-stage crosscurrent leaching plant with  $N$  for fixed equal solvent feed flow rates into respective stages. The total oil recovered increased with  $N$ , reaching a limit, for  $N \geq 5$ , after which no further increase in  $T_o$  was observed. The data was fitted well with polynomial functions of 4<sup>th</sup> order for  $V_s = 200$  kg/h and 5<sup>th</sup> order for  $V_s \geq 300$  kg/h. Increasing  $N$ , decants most of the solution into the overflow streams, thus increasing  $T_o$ , and vice versa. Similarly, increasing  $V_s$  increases the total oil recovered similar to results presented in Figure 9. Higher values of  $N$ , on the other hand, signify expensive decanting equipment, which may not justify the extra extraction efficiency. For example, there is little change in total oil recovered at  $V_s = 500$  kg/h when  $N \geq 3$ .

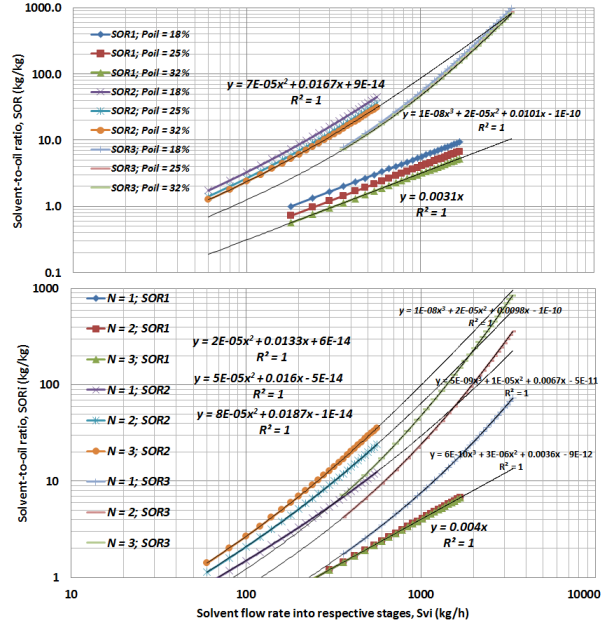


Figure 8: Variation of solvent-to-oil ratio ( $SOR_i$ ) with equal-solvent flow rate into each stage (a) at various oil contents in the raw meal,  $P_{oil}$ , and (b) solids-to-solution ratio in the underflow,  $N$ .

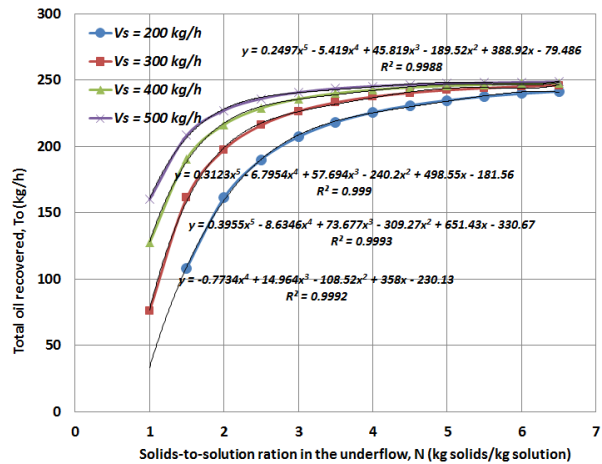


Figure 9: Variation of total oil recovered with solids-to-solution ratio,  $N$  for equal constant fresh solvent flow rate in each stage  $V_s$  ( $F = 1000$  kg/h and  $P_{oil} = 25\%$ ).

Figure 10 presents the variation of the total oil recovered with  $N$  for constant values of raw meal feed flow rates,  $F$ . Similar to Figure 9, the total oil recovered increased with  $N$ , reaching a limit, after which no further increase in  $T_o$  was observed. The limit  $T_o$  values were observed to be distinctly different depending on  $F$ . The



lower feed flow rate (signifying smaller oil extraction plants), the effect of  $N$  is negligible since  $T_o$  levels off immediately, that is, for  $N > 1$ . Thus, for smaller plants,  $N \leq 2$  is acceptable for oil extraction. The data was fitted well with polynomial functions of 4<sup>th</sup> order for all values of raw meal feed flow rates, with  $R^2$  values increasing with  $F$ . For small leaching plants ( $F \approx 500$  kg/h),  $N$  has no significant effect on  $T_o$ . Compared to large plants ( $F \approx 2000$  kg/h) where  $N$  has a strong effect, a higher value of  $N \geq 6$  is required for extracting the oil from raw meal, necessitating expensive decanting equipment. Considering Figures 9 and 10, asymptotic curves at higher  $N$  values was observed. Considering the cost of solvent and decantation or pressing equipment for higher  $N$ , avoiding unnecessary high values of  $V_{si}$  and  $N$  is recommended.

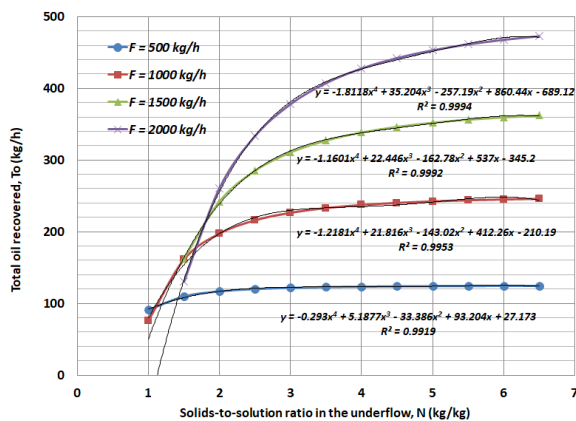
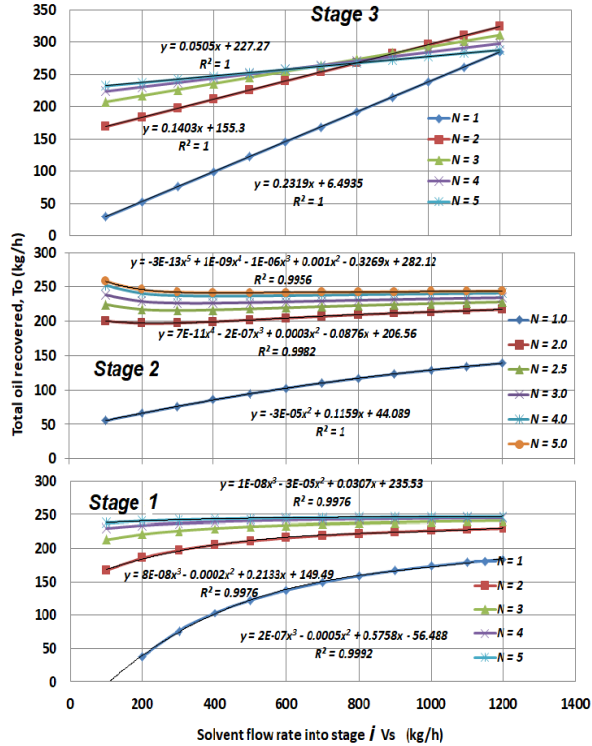


Figure 10: Variation of total oil recovered with  $N$  for constant values of raw meal feed flow rates or leaching plant size.

### Effect of Solvent Flow Rate into Respective Stages on Total Oil Recovered at constant $N$

In multistage crosscurrent leaching, separate solvent flow rates are applied to each stage. Given the prevailing oil content, solids and solution in the underflow, the total oil recovered from each stage will vary differently with solvent flow rate. Figure 11 shows the effect of increasing solvent flow rate across respective stages under fixed values of  $N$ .

Increasing  $V_s$  increases the total oil recovered as shown also in Figure 9. Initially  $T_o$  increases with  $V_s$  for Stage 1, reaching asymptotic values of the total oil recovered at higher values of  $V_{si}$ . For  $N \geq 3$ , the clear effect of  $V_s$  is negligible. In general,  $T_o$  increases with solvent flow rate across each stage in a manner depending on the set value of  $N$ . This shows that at lower values of  $N$  the percent oil recovery is low. In Stage 1,  $T_o$  varied with  $V_s$  according to 3<sup>rd</sup> order polynomial functions. In Stage 2, the polynomial functions relating  $T_o$  with  $V_s$  were more complex, changing from 2<sup>nd</sup> to 5<sup>th</sup> order. In Stage 3,  $T_o$  increased linearly with  $V_{S3}$  for all set values of  $N$ . The solvent flow rate across a given stage is a key factor towards improved plant performance in terms of total oil recovered. Increasing solvent flow rate across a given stage should lead to high oil recovered but also high process cost due to solvent requirements. The results in Figure 11 indicate distinct behaviour for the three stages, as  $V_{si}$  was increased. The results show that the stages are independent or uncoupled systems behaving differently with  $N$  and  $V_{si}$ . In all cases,  $N = 1$  leads to lowest total oil recovery compared to  $N > 1$ . For  $N > 3$ , no appreciable effect of  $N$  on the relationship between  $T_o$  and  $V_s$  was observed, whereby, the curves of the same shape coincide.



**Figure 11: Variation of total oil recovered with solvent flow rate in respective stages for fixed values of  $N$ .**

In Stage 3, linear relationships were observed for  $T_o$  vs  $V_{s3}$  for  $N > 1$ , and also, the slope of the curves decreased with  $N$ . The results show that for  $N > 1$  a common value of  $T_o$  exist when  $V_s = 800$  kg/h. When the feed into Stage 3 was

changed to  $V_s = 1200$ ,  $T_o$  was the same for  $N = 1$  and  $N = 5$ , showing that further increase in  $V_s$ , at  $N = 1$ , can exceed the corresponding values of the total oil recovered at  $N \geq 2$ . The value of  $V_s$  at the point of intersection for  $N = 1$  and 2 was determined to be  $V_{s3} = 1624.5$  kg/h, at which,  $T_o = 383.22$  kg/h total oil recovered. Depending on the availability of solvent to feed into Stage 3, a value of  $N$  exists which leads to maximum total oil recovered. For  $V_{s3} \leq 800$  kg/h,  $N = 5$  gives the maximum total oil recovered. For  $800 \leq V_{s3} \leq 1624.5$  kg/h,  $N = 2$  gives the maximum total oil recovered, and finally, for  $V_{s3} > 1624.5$  kg/h,  $N = 1$  gives the maximum total oil recovered, as summarized in Table 2.

Based on Table 2, Figure 12 shows the optimal values of  $N$  corresponding to the range of  $V_{s3}$  for maximum total oil recovery. The quantities are referred to as optimal based on the fact that maximum amount of oil is obtained which can maximize sells and profit. The plot shows the linear equations between  $T_o$  and  $V_{s3}$  for each of the three ranges of  $V_{s3}$  corresponding to  $N = 5, 2$  and 1, respectively. Thus, given a solvent flow rate into Stage 3, the expected total oil to be recovered can be determined from Figure 12.

**Table 2: Solvent flow rate range in Stage 3 for maximum total oil recovery**

$N$	$V_{s3}$ Range (kg/h)	Equation for $T_o$	Remarks
5	$V_{s3} \leq 800$	$T_o = 0.0505V_{s3} + 227.27$	Maximize overflow by pressing hard the cake, leaving very little solution in the underflow leaving 0.2 kg solution per kg solids.
2	$800 \leq V_{s3} \leq 1624.5$	$T_o = 0.1403V_{s3} + 155.30$	Allow 2 kg solids per kg solution, which is lower pressing requirement for the cake and slightly high solution is left in the underflow.
1	$V_{s3} > 1624.5$	$T_o = 0.2319V_{s3} + 6.4935$	Least pressing requirements; leaving 1 kg solids per kg solution (equal amount of solution and solids). This may need extra care of spent cake to recover more solvent and minimize losses.

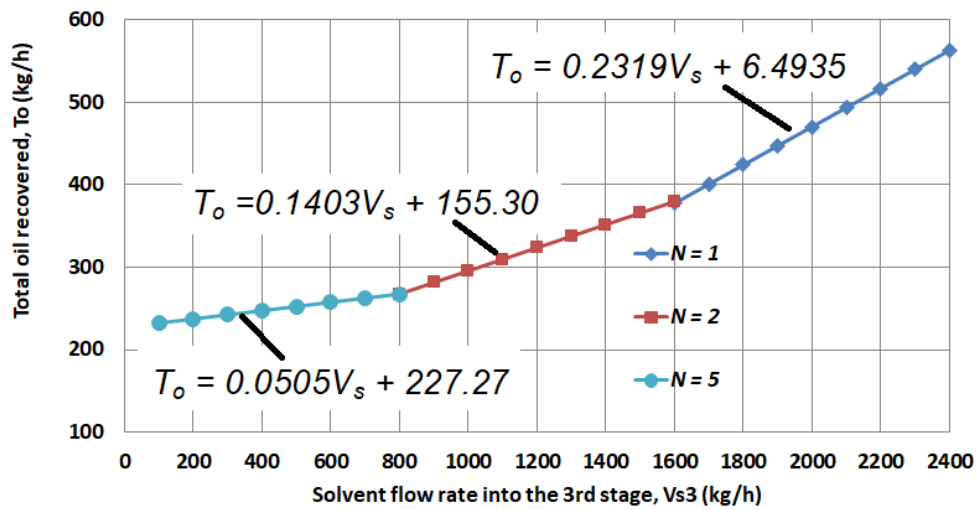


Figure 12: Determination of optimum values of  $N$  for different ranges of solvent flow rate into Stage 3 for maximum total oil recovery.

### Identification of the optimal range of solvent distribution factors

The utilization of (8) and Figure 3 involved testing a range of values of  $\alpha_i$  leading to maximum total oil recovery. To determine the effect of quantity of solvent fed into a given stage on the total oil recovered, the distribution factors were applied on  $Q_s$  as shown in Figure 3. Three factors  $\alpha_1$ ,  $\alpha_2$  and  $\alpha_3$  as per Equations 7 and 8 were applied to  $Q_s$  leading to  $V_{s1}$ ,  $V_{s2}$  and  $V_{s3}$  data, respectively. In Figure 13, four different sets of  $\alpha_i$  values were tested while searching for maximum values of  $T_o$ .

Based on (8), changing  $\alpha_i$  implies feeding a specific solvent flow rate to the given stage. Highest values of  $T_o$  resulted from setting  $\alpha_1 = 0.3$ ,  $\alpha_2 = 0.1$  and  $\alpha_3 = 0.6$ . The range of values around these set values was tested. Thus, the range of  $\alpha$  values for maximum total oil recovered was estimated to be  $\alpha_1 = 0.05$  to  $0.3$ ,  $\alpha_2 = 0.05$  to  $0.2$ , and  $\alpha_3 = 0.5$  to  $0.95$ . Figure 13 shows further that the maximum values of  $T_o$ , corresponding to optimal values of  $\alpha_1$  has a local maximum, indicating that further turning of  $\alpha$  values can lead to highly optimal values of  $T_o$ .

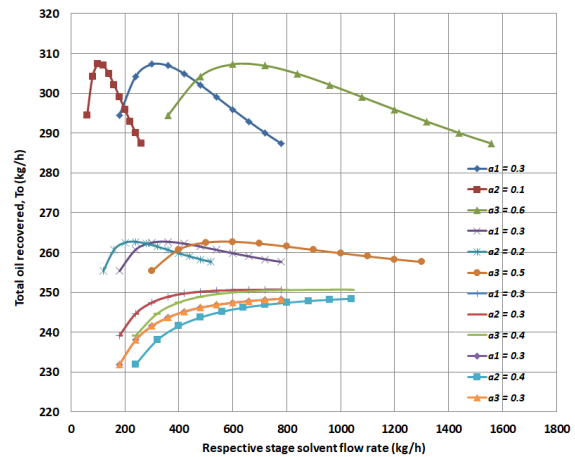


Figure 13: Variation of total oil recovered with respective stage solvent flow rate,  $V_{si}$  (kg/h) based on flow distribution factor,  $\alpha_i$ .

For example, the maximum values of  $T_o$  were reached at  $V_{s1} = 300$  kg/h,  $V_{s2} = 100$  kg/h and  $V_{s3} = 600$  kg/h, that is, when  $Q_s = 1000$  kg/h was distributed using  $\alpha_1 = 0.3$ ,  $\alpha_2 = 0.1$  and  $\alpha_3 = 0.6$ . The ranges of  $V_{s1}$  and  $V_{s2}$  were narrow (10 to 1,000 kg/h only) compared to  $V_{s3}$  (500 to 3,500 kg/h) for the same range of total oil recovered.

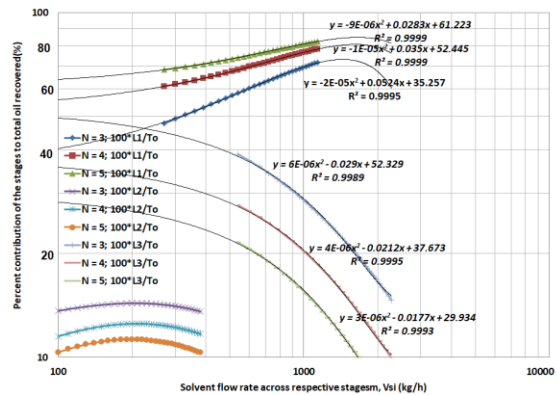
**Percent Contribution of each Stage to the Total Oil Recovery based on solvent feed flow rate**

During multi-stage crosscurrent leaching, the overflow streams from the three stages are normally combined to form the final product from which oil recovered is further separated. The values of total oil recovered and the overall concentration of the oil in the combined overflow were determined based on (15) and (16). Based on the low solute concentration in the overflow from Stage 3 and the higher solvent flow rate into Stage 3 aimed at attaining higher total oil recovery, it is worth assessing the contribution of the stages to the total oil recovered. The low concentration of oil in the overflow from the 3<sup>rd</sup> stage (as shown in Figure 4) is attributable to large solvent flow rate or the higher value of  $\alpha_3$  compared to  $\alpha_1$  and  $\alpha_2$ .

Figure 14 compares the percent contribution of the stage to the total oil at fixed values of  $N$ . For each value of  $N$  (3, 4 and 5), three curves showing the values of percent contribution are plotted against the solvent flow rate into each stage,  $V_{si}$ . The highest contribution was from the first stage, attributable to solvent coming in contact with raw meal containing the highest quantity of oil, which is separated via  $V_{s1}$  for a selected value of  $N$ . The highest percent contribution to the total oil recovered was observed to originate from Stage 1, where the solvent comes in contact with the raw meal. The contribution to total oil recovery by Stage 1 increased with solvent flow rate into the stage,  $V_{s1}$ , according to quadratic functions, as shown in Figure 14. The contribution by Stage 1 was highest for range of  $\alpha_1$  and  $V_{s1}$  studied (that is, 250 to 1200 kg solvent/h) which ranged between 48 and 80%, could have different results for the solvent flow rate into Stage 1 below 200 kg/h, because the contribution from Stage 3 could also play a large role in that solvent flow rate range.

The next high contribution was observed to come from Stage 3, being highest at  $N = 5$ . Together with the low concentration of oil in Stage 3, higher contribution than Stage 2 was observed due to higher quantity of oil ( $= Y_3V_3$ ) despite the lower value of  $Y_3$ . The contribution from Stage 3 ranged from 10 to 40% when  $V_{s3}$  was varied between 500 and 2,000 kg solvent/h. The percent contribution in Stage 3 decreased with solvent flow rate for all values of  $N$ , also, according to 2<sup>nd</sup> order polynomial functions. Therefore, it can be concluded that the 3<sup>rd</sup> stage is critical and is needed for maximum total oil recovery.

In the 2<sup>nd</sup> stage, the least contribution to total oil recovered was observed for all values of  $N$ . The percent contribution by Stage 2 ranged from 10 to 15% only, with a clear decreasing trend for  $V_{s2} > 400$  kg solvent/h. The percent contribution to the total oil recovered increased slightly reaching a maximum value before decreasing again. Higher contribution in Stage 2, was observed for  $N = 5$ , similar to the observation made in Stages 1 and 3. The variation of percent contribution to the total oil recovered in the 2<sup>nd</sup> stage was also observed to follow 2<sup>nd</sup> order polynomial function.



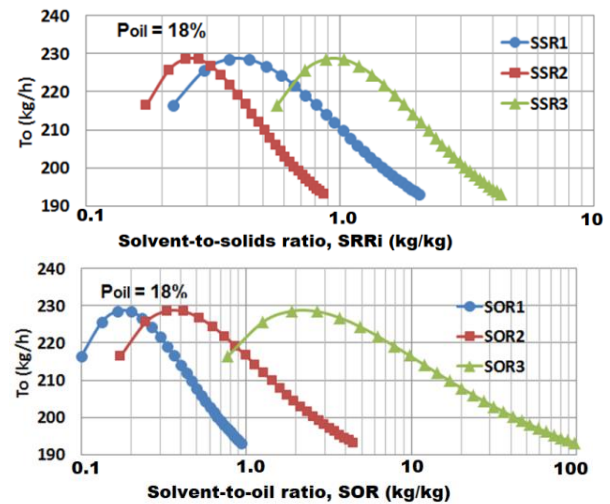
**Figure 14: Variation of the respective stages contribution to the total oil recovered with the solvent flow rate into the respective stages at fixed values of N.**

### Effect of SSR and SOR on Total Oil Recovery

Among the factors affecting oil recovery during crosscurrent leaching is the solvent-to-solids ratio across each stage,  $SSR_i$ . When solids are flowing into each stage and coming in contact with solvent, there is a need to establish the optimum ratio of solvent-to-solids which leads to maximum oil recovery. To simulate the effect of increasing SSR on the total oil recovery, the feed flow rate was fixed at 1,000 kg/h with  $P_{oil} = 18\%$ . Figure 15 shows the variation of total oil recovered with the SSR for Stages 1, 2 and 3, at  $F = 1000$  kg/h and  $N = 5$ . The total oil recovered increased with SSR in each stage, reaching a maximum before decreasing again. For each stage, the oil recovered had a peak value. It was noted also that, the maximum total oil recovered occurs at lower SSR in Stage 2, followed by Stage 1 and at highest SSR in Stage 3. With constant inert solids flow across the system, this implies also that the peak total oil recovered occurs at higher solvent flow rate into Stage 3, almost twice the flow rate of solids.

For Stages 1 and 2, the oil recovery was highest at lower solvent flow rates, about 1/5 to 1/4 of the inert solids flow rate. Therefore, results presented in Figure 15 helps to determine the optimum solvent flow rate across each stage leading to maximum total oil recovery. Former researchers did not observe the peak percent copper recovery when they varied SSR (Osman et. al., 2013), possibly due to narrow SSR range from 1.5 to 3.0 only, while this study assessed a wider range from 0.1 to 8. Optimization of jojoba oil extraction yield has been studied by varying the seed-to-solvent ratio ( $F/V_s$ ), from 5 to 15 and observed that the optimum ration was at 12.9 kg seed/kg solvent, equivalent to  $F/V_s = 0.08$  kg solvent per kg raw meal fed [18]. It should be noted that  $F/V_s$  values are slightly lower than SSR values reported in this paper due to exclusion

of the quantity of oil in the denominator. The recovery is on the other hand, aided by higher temperature (65°C), particle size (0.48 mm) and high mixing speed of 1000 rpm (Osman et. al., 2013).



**Figure 15: Variation of total oil recovered with SSR and SOR<sub>i</sub> in respective stages ( $N = 5$  and  $F = 1,000$  kg/h).**

Knowing the  $SSR_i$  values, will allows the operators to set the necessary solvent flow rates to achieve the maximum total oil recovery. The shift in the peak value of  $T_o$  along the horizontal axis signifies that the leaching stages should be operated differently in terms of solvent flow rates, to achieve the given maximum total oil recovery. Thus, for a fixed raw meal flow rate ( $F$ ) and percent oil in the raw meal (signifying different oilseeds), the solvent flow rate giving the ratios,  $SSR_i$  corresponding to maximum total oil recovery should be selected. At  $P_{oil}$  of 18%, the maximum  $T_o$  was reached when  $SSR_2 = 0.26$ ,  $SSR_1 = 0.3$  and  $SSR_3 = 1.0$  being highest in Stage 3. Between Stage 1 and 2, results show that  $SSR_1 > SSR_2$ , attributable to the fact that in the first stage large amount of solvent is required to wet all the fresh raw meal and allow the solute to dissolve completely into the solvent. In the Stage 2, on the other hand, the



solvent adhering to the solids after Stage 1 based on the set value of  $N$ , is available for extraction, and little amount of solvent is required since the solute in the solids is already dissolved.

Similarly, the data for  $SOR$  was varied by selectively varying the solvent flow rate across each stage, while monitoring the total oil recovered ((15) and (23)). The results presented in Figure 16 show the variation of total oil recovered (kg/h) with  $SOR$ . The  $SOR_i$  data in Figure 15 ranged from 0.1 to 1,000 kg solvent/kg oil. The same amounts of total oil recovered were obtained at lowest  $SOR_i$  for Stage 1, followed by Stage 2 and lastly, at higher  $SOR$  values in Stage 3. The observed  $T_o$  values at low  $SOR$  in Stage 1 can be attributed to largest quantity of oil available in Stage 1. The peak  $T_o$  was observed at  $SOR = 0.2$  and  $0.4$  kg solvent/kg oil in Stages 1 and 2, respectively. In Stage 3, on the other hand, the  $SOR$  value for which the maximum total oil recovered was reached was  $2.0$  kg solvent/kg oil. Therefore, a large quantity of solvent is required in the last stage in order to recover maximum total amount of oil in the raw meal. At  $SOR_3 = 2.0$  kg solvent/kg oil, the loss of solvent is higher through the underflow, controlled by setting higher  $N = 5$ .

Therefore, because Stage 3 operates at a very low oil concentration as observed in the solution leaving as overflow or underflow (Figures 4 and 15), its necessity require justification. This was concluded based on data presented in Figure 15, whereby, the contribution of Stage 3 to the total oil recovered was higher than that of Stage 2. Higher  $SOR_3$  values, therefore, does not signify least amount of oil being extracted, but it is due to largest amount of solvent fed into Stage 3.

## Effect of Wash Ratio on Total Oil Recovered

The wash ratio relates the amounts of solution in the overflow with that in the underflow streams. The  $WR$  is also critical as it parts the solution into two portions (overflow and underflow). At fixed values of  $N$ , the amount of oil carried out by the overflow depends on  $WR$ . The variation of total oil recovered with  $WR_1$ , is presented in Figure 16 for Stages 1, 2 and 3. In Figure 16 there are marked differences between the variations of total oil recovered with  $WR_i$  across the three stages. In Stage 1, the total oil recovered increased faster with  $WR_1$  at  $N = 1$ , and slowly with  $WR_1$  at higher values of  $N = 7$ .

For higher values of  $N$ , the total oil recovered changed slightly with  $WR_2$ . It was observed that  $T_o$  is slightly higher at low  $WR_2$  and drops slightly with increasing  $WR_2$ . It was remaining constants at higher values of  $WR_2 \geq 2$ .

Linear relationships were observed in Stage 3 between  $T_o$  and  $WR_3$  for all values of  $N$ . Moreover, a constant value of  $T_o = 240$  kg/h was observed for all values of  $N$  when  $WR_3 = 1.8$ . The total oil recovery increases faster with  $WR_3$  at  $N = 1$ , slopes of which dropped as  $N$  was increased further. While for Stages 1 and 2, the set values of  $N$  have distinct ranges of the total oil recovered, which increases with  $N$  from  $1.0$  to  $7.0$ , in Stage 3, there is no distinct range of  $T_o$ . For instance, at  $N = 1.0$ , increasing  $WR_3$  changed  $T_o$  from  $120$  to  $275$  kg/h, in a very short range of  $WR_3$  ( $0$  to  $2$  only), while at  $N = 5$ ,  $T_o$  was changed from  $240$  to  $275$  kg/h when  $WR_3$  changed widely from  $0.2$  to  $8.0$ . The results presented in Figure 19, resemble those presented in Figure 11, where  $T_o$  varied with  $V_{si}$  at constant values of  $N$ . The linearity of curves in Figures 11, 12 and 17 is solely a characteristic of Stage 3, not observed in other stages.

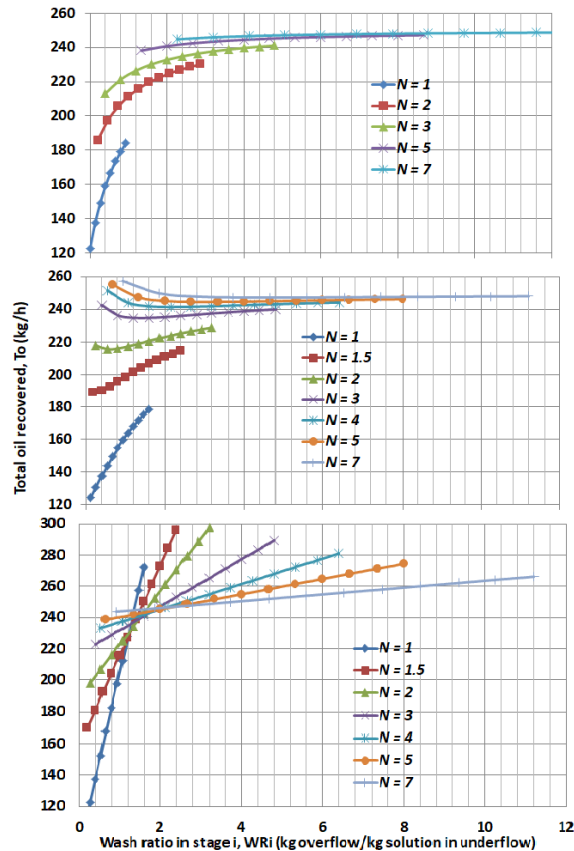


Figure 16: Variation of total oil recovered with wash ratio,  $WR_i$ , in respective stages.

### CONCLUSION AND RECOMMENDATION

Based on the key assumptions, the crosscurrent leaching operation was modelled using a large number of equations as summarized in the model flowchart. This signifies that the crosscurrent leaching operation with three stages is a complex system.

The oil concentration in the overflow solution was highest for Stage 1 and lowest for Stage 3. While the oil concentration was higher in the overflow from Stage 2 than that from Stage 3, large solvent feed flow rate into Stage 3, led to higher oil recovery and contribution to total oil recovery in Stage 3 (10 – 40%) than Stage 2 (10 – 15%). The percent contribution was highest in Stage 1 (50 – 80%).

The  $SSR_i$  decreased logarithmically with raw meal feed flow rate,  $F$  being highest at highest  $P_{oil}$  of 40% (indicating low solids content). The  $SOR_i$  on the other hand decreased also logarithmically with  $F$ , with highest values observed at lowest values of  $P_{oil}$ , due to smaller oil content fed to the plant. At lower levels of  $P_{oil}$ , the relationship between  $SOR_i$  and  $F$  was no longer linear. The  $SSR_i$  increased with  $V_{si}$  at constant values of  $N$  and  $P_{oil}$ , while  $SSR_i$  increased linearly with  $V_{si}$  in Stage 1, the variations were fitted well with second order polynomial functions for Stages 2 and 3, values of which were highest in the last stage. The 2<sup>nd</sup> order was attributed to the two key parameters affecting the  $SSR_2$  and  $SSR_3$ , that is,  $V_{s2}$  and  $W_1(1-X_1)$  for  $SSR_2$  while  $SSR_3$  was observed to depend on  $V_{s3}$  and  $W_2(1-X_2)$ . Similarly, while  $SOR_1$ , varied linearly with  $V_{s1}$  (attributable to only one parameter,  $V_{s1}$ ),  $SOR_2$  and  $SOR_3$  varied with  $V_{si}$  according to 2<sup>nd</sup> order polynomial functions, attributable to two key parameters (that is,  $V_{s2}$  and  $X_1$  for  $SOR_2$ ) while  $SOR_3$  was affected by  $V_{s3}$  and  $X_2$ .

The total oil recovery increased with  $N$  at constant  $F$ , according to fourth order polynomial functions, which shows saturation at higher values of  $N > 3$ . Also, at constant values of total solvent feed flow rate,  $V_s$ , the total oil recovered increased faster with  $N$  towards a maximum according to polynomial functions of fifth order for  $N > 3$ . The total oil recovery varied differently with  $V_{si}$  depending on stage number and  $N$ . While all of the curves were fitted with 3<sup>rd</sup> degree polynomial functions in Stage 1, the order increased from 2<sup>nd</sup> to 5<sup>th</sup> as  $N$  was increased from 1 to 5 in Stage 2. In Stage 3, on the other hand, the total oil recovered varied linearly with  $V_s$  slopes of which decreased with  $N$ . Depending on the range of solvent flow rate, it was possible to select a value of  $N$  leading to a maximum total oil recovery. The effect of solvent flow rate into a given stage of a multistage crosscurrent plant on total oil recovered is complex

showing that the operation of the plant requires extensive knowledge of the operating parameters.

There exists optimal range of solvent flow rate into a given stage, which leads to the maximum total oil recovery. This necessitates proper distribution of solvent into the three stages, using distribution factors. It can be concluded that the optimal range was  $\alpha_1 = 0.05$  to 0.3,  $\alpha_2 = 0.05$  to 0.2 and  $\alpha_3 = 0.5$  to 0.95. Given the optimal range of distribution factors, the contribution of the stages to the total oil recovered also ranged from 50 to 80% for Stage 1, 10 to 15% only for Stage 2, and 10 to 40% for Stage 3.

Both  $SSR_i$  and  $SOR_i$  show the optimal values at which the total oil recovery reached the maximum values depending on the oil content in the raw meal,  $P_{oil}$ . The total oil recovery varied widely with  $WR_i$  depending on  $N$ , and stage number. It was concluded that detailed analysis of the key operating parameters need to be carried out before oil extraction process is initiated, for maximum oil recovery from the feed raw meal. The study has contributed strongly to the pool of knowledge on oil extraction by crosscurrent mode of operation.

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